

Allocating Losses: Bail-ins, Bailouts and Bank Regulation

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Bail-ins and bailouts

- ▶ In a crisis, a financial institution's losses fall on combination of:
 - ▶ its own investors and creditors "bail-ins"
 - ▶ the public sector "bailouts"
- ▶ Recent policy efforts aim to increase bail-ins (& limit bailouts)
 - ▶ examples: contingent convertible bonds (CoCos); Orderly Liquidation Authority; Single Resolution Mechanism
- ▶ Focus is on tying bail-ins to observable, bank-specific triggers
 - ▶ example: if some measure of equity falls below a threshold ...
 - ▶ certain long-term debt is converted to equity
 - ▶ or the bank is placed into a resolution process
 - ▶ which imposes losses on some creditors; limiting need for bailout

Timing

- ▶ However, think about the period *before* this information is observed
 - ▶ regulators may be aware there are problems
 - ▶ but lack actionable, bank-specific information
- ▶ In this period, banks will likely have private information
 - ▶ about how exposed they are to the current situation, for example
- ▶ ... and some discretion over when to recognize losses, etc.
 - ▶ which might then trigger a bail-in

Q: Should regulators wait for observable information to arrive?

- ▶ or should they act sooner? If so, how?
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Literature

- ▶ Growing body of work on bail-ins, contingent bank liabilities and bank resolution
 - ▶ Flannery (2009), Goodhart & Avgouleas (2014), Sommer (2014), Bernard et al. (2017), Bolton & Oehmke (2019), Robatto (2017), Dewatripont and Tirole (2018), Walther and White (2019), others
- ▶ Focus is typically on how a regulator should react to the information it receives
- ▶ Older literature on bail-ins begins with Wallace (1988; 1990)
 - ▶ “the best arrangement in a [model] with aggregate risk displays something resembling partial suspension” a “bail in”
 - ▶ or: bail-ins are necessary to implement efficient allocations
 - ▶ see also Green and Lin (2000, 2003), Peck and Shell (2003), Ennis and Keister (2009), Sultanum (2014) and others

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- ▶ These papers emphasize that investors want bail-in contracts
 - ▶ an efficient way of dealing with adverse shocks
 - ▶ no need for regulation or supervisory bail-ins in these models
 - ▶ Role for policy: encourage more state-contingent contracts
 - ▶ Example: reform to money market mutual funds in the U.S.
 - ▶ prior to 2014: must redeem shares on demand at par or close
 - ▶ now: funds can impose withdrawal fees and suspend redemptions
 - ▶ directed to do so if it is in the best interests of their shareholders
 - ▶ Will this type of reform will be effective?
 - ▶ this older literature suggests the answer is “yes”, but ...
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What we do

- ▶ Study an environment where:
 - ▶ banks have the *ability* to bail in their investors at any time
 - ▶ govt. can provide bailouts and lacks commitment
 - ▶ regulator observes relevant information with a lag
- ▶ Derive the efficient pattern of bail-ins and bailouts in a crisis
- ▶ In equilibrium:
 - (i) bailouts undermine investors' desire for bail-in contracts
 - ▶ result: equilibrium bail-ins are too small, bailouts are too large
 - (ii) this distortion can be a source of financial fragility
 - (iii) mandating a system-wide bail-in can improve welfare
 - ▶ while also improving banks' incentives, financial stability

Outline

- 1) The environment
 - 2) Efficiently allocating losses
 - ▶ a planner's problem
 - 3) Equilibrium
 - ▶ distorted incentives, inefficient outcomes
 - 4) Regulation
 - 5) Conclusion
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Investors

- ▶ $t = 0, 1, 2$
- ▶ Investors: $i \in [0, 1]$ in each of many locations
 - ▶ endowed with 1 at $t = 0$, nothing later
- ▶ Utility: $u(c_1 + \omega_i c_2) + v(g)$
 - ▶ where $\omega_i = \begin{Bmatrix} 0 \\ 1 \end{Bmatrix}$ means investor is $\begin{Bmatrix} \text{impatient} \\ \text{patient} \end{Bmatrix}$
 - ▶ and u is of the CRRA form
- ▶ Type ω_i is revealed at $t = 1$, private information
 - ▶ π = prob. of being impatient for each investor
= fraction of impatient investors at $t = 1$

Diamond-Dybvig
plus public good

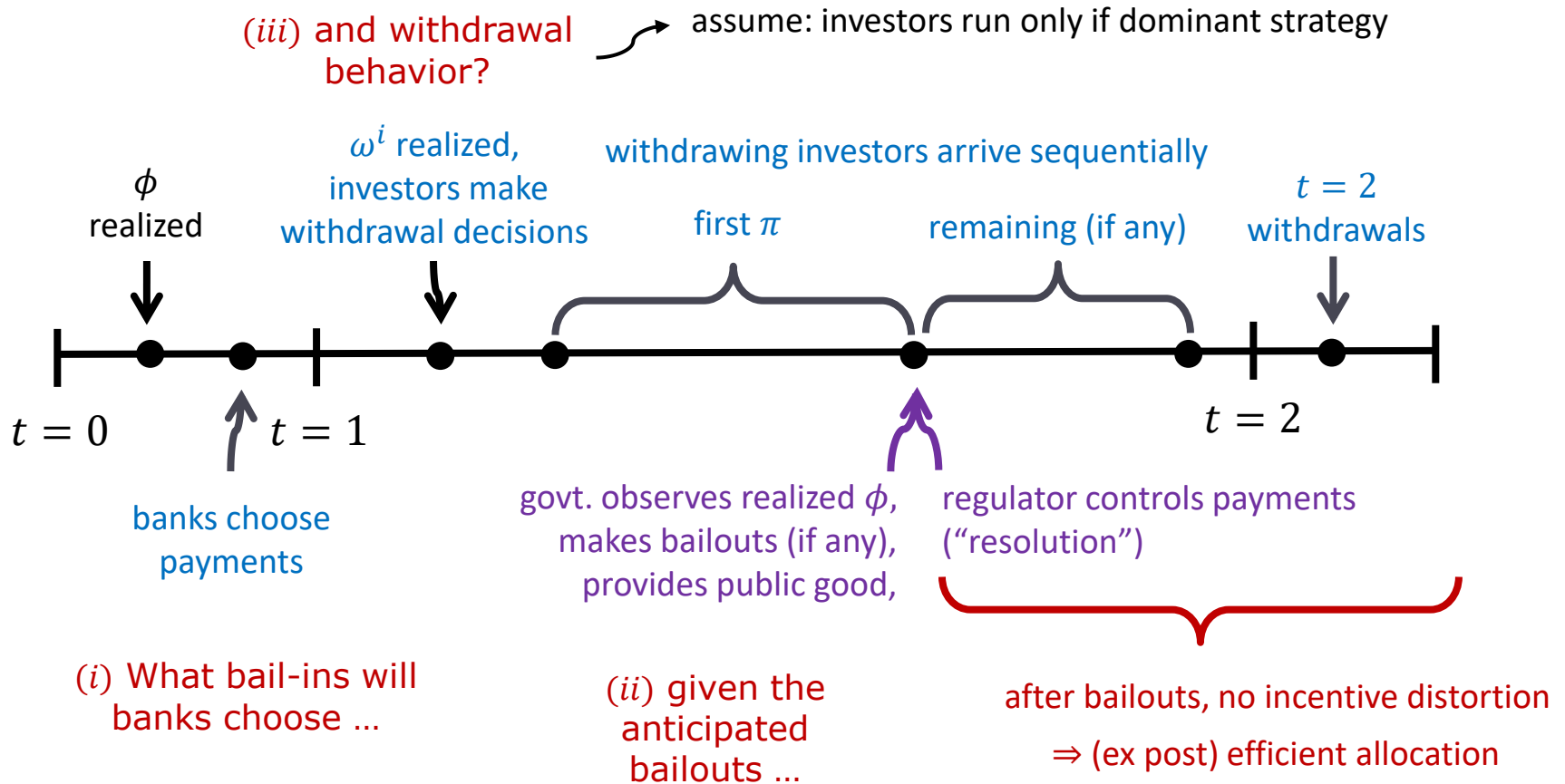
Banks

- ▶ Investment technology yields return $\left\{ \begin{array}{l} 1 \\ R > 1 \end{array} \right\}$ at $\left\{ \begin{array}{l} t = 1 \\ t = 2 \end{array} \right\}$
- ▶ Endowments are pooled in a *bank* in each location
 - ▶ bank is a coalition of investors → no agency problem w/in bank
 - ▶ investors' claim is a hybrid of debt and equity
- ▶ Two aggregate states ($t = 0$)
 - ▶ normal times: bank's assets continue to be worth 1 (per depositor)
 - ▶ crisis: a fraction $1 - \phi$ of bank's assets become worthless
 - ▶ ϕ varies across locations; idiosyncratic draw from distribution F
- ▶ Bank decides how much to pay withdrawing investors ...
 - ▶ *after* bank and investors observe its realized ϕ

Public sector

- ▶ Fiscal authority (“government”):
 - ▶ endowed with $\tau > 0$ units of the good at $t = 1$
 - ▶ $\tau =$ the *fiscal capacity* of the public sector
 - ▶ provides the public good and (possibly) bailouts to weak banks
 - ▶ chosen as best response to situation at hand (no commitment)
 - ⇒ will distort banks’ (i.e. investors’) incentives
- ▶ Regulator:
 - ▶ can limit banks’ payouts to investors
 - ▶ observes value of bank-specific ϕ only after $\pi \geq 0$ withdrawals
 - ▶ captures the time needed to do detailed examinations

Timeline



- ▶ Note: no decisions are made before ϕ is realized
 - ▶ ex ante probabilities of the two states do not matter

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4) Regulation

- ▶ two proposals

5) Conclusion

Normal times

- ▶ In normal times, $\phi = 1$ in all locations
- ▶ Banks solve a standard Diamond-Dybvig allocation problem:

$$\begin{aligned} \max \quad & \pi u(c_1) + (1 - \pi)u(c_2) \\ \text{s. t.} \quad & \pi c_1 + (1 - \pi) \frac{c_2}{R} \leq 1 \end{aligned}$$

solution: (c_1^*, c_2^*)
with $c_1^* < c_2^*$

- ▶ Interpretation:
 - ▶ (c_1^*, c_2^*) is the “face value” of a bank’s liabilities to its investors
 - ▶ measure bail-ins relative to this face value

Allocating losses

▶ Now suppose a crisis occurs and $\phi \sim F[\underline{\phi}, 1]$

▶ total losses in the banking system: $\int_{\underline{\phi}}^1 (1 - \phi) dF(\phi)$ (fixed)

Q: How would a planner *allocate* these losses?

▶ Feasibility: $\pi c_1(\phi) + (1 - \pi) \frac{c_2(\phi)}{R} \leq \phi + b(\phi)$

▶ Planner will set:
$$\left. \begin{aligned} c_1(\phi) &= (1 - h(\phi))c_1^* \\ c_2(\phi) &= (1 - h(\phi))c_2^* \end{aligned} \right\} \text{for some } h(\phi)$$

▶ Then feasibility is:
$$\begin{array}{ccc} h(\phi) & + & b(\phi) = 1 - \phi \\ \uparrow & & \uparrow \\ \text{bail-in} & + & \text{bailout} = \text{loss} \end{array} \quad \text{in each location}$$

A planner's problem

- ▶ The planner will choose bail-ins h and bailouts b to maximize:

$$\int_{\underline{\phi}}^1 \{ \pi u[(1 - h(\phi))c_1^*] + (1 - \pi)u[(1 - h(\phi))c_2^*] \} dF(\phi) \\ + v \left(\tau - \int_{\underline{\phi}}^1 b(\phi) dF(\phi) \right)$$

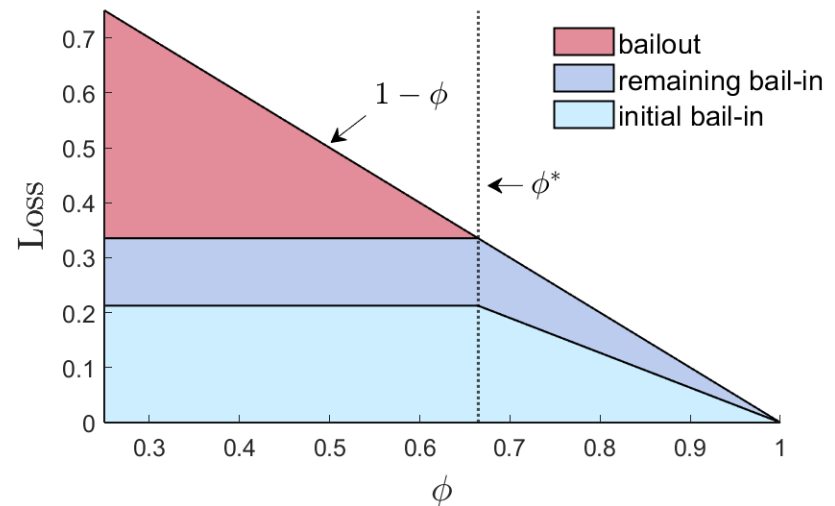
- ▶ subject to:

$$h(\phi) + b(\phi) = 1 - \phi$$

$$\text{and} \quad 0 \leq h(\phi) \leq 1, \quad b(\phi) \geq 0 \quad \text{for all } \phi$$

- ▶ What does the solution look like?

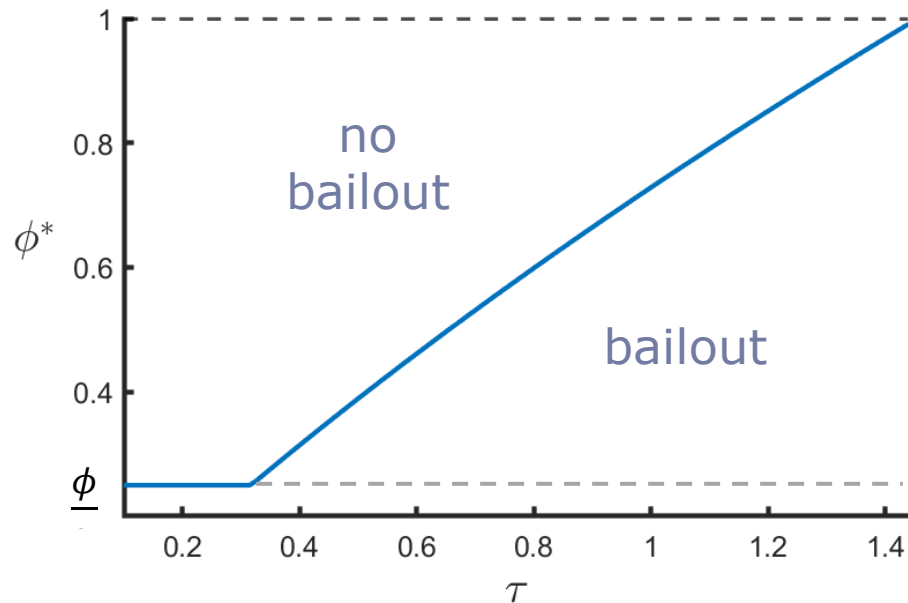
- ▶ Solution is characterized by a cutoff ϕ^*
- ▶ Banks with $\phi \geq \phi^*$ are not bailed out
 - ▶ bail-in covers entire loss $1 - \phi$



- ▶ Banks with larger losses are bailed out
 - ▶ investors in all of these banks are bailed in at rate $(1 - \phi^*)$
- ▶ Interpretation: public sector takes the “tail risk”
 - ▶ bails out worst banks, but only after a sufficient bail-in

Q: How much tail risk should the public sector take?

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- ▶ Cutoff ϕ^* depends on the government's fiscal position τ



- ▶ If τ is sufficiently small, there will be no bailouts
 - ▶ when fiscal situation is tight, public sector provides no insurance
- ▶ As τ increases, it becomes optimal for the public sector to absorb more of the tail risk.

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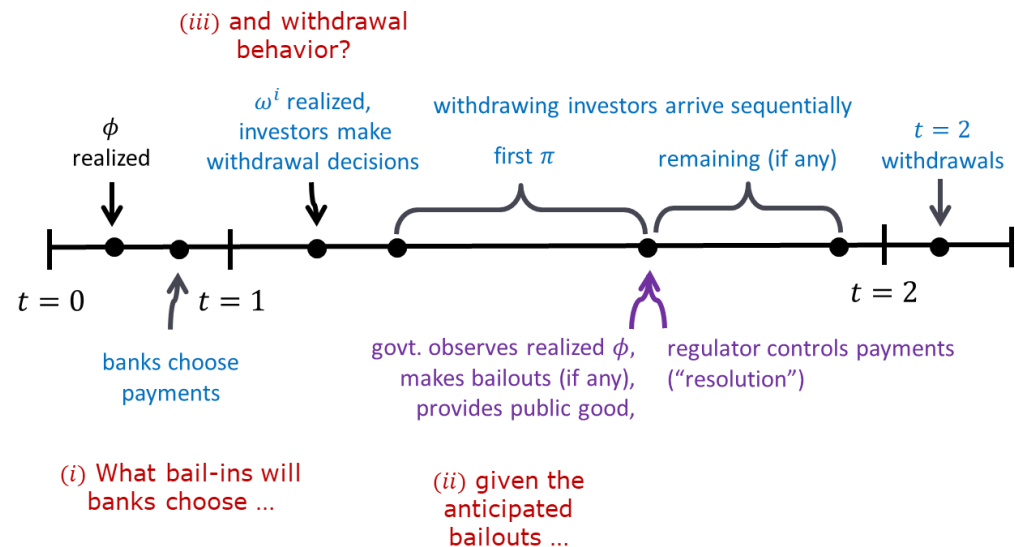
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The bail-in game

- ▶ The fiscal authority will bail out those banks in worst shape
 - ▶ note: a bank's condition depends (in part) on its bail-in choice
- ▶ At $t = 0$, each bank chooses a bail-in $h(\phi)$
 - ▶ based on the bailouts it anticipates the fiscal authority making
 - ▶ which depend on the bail-in choices of other banks

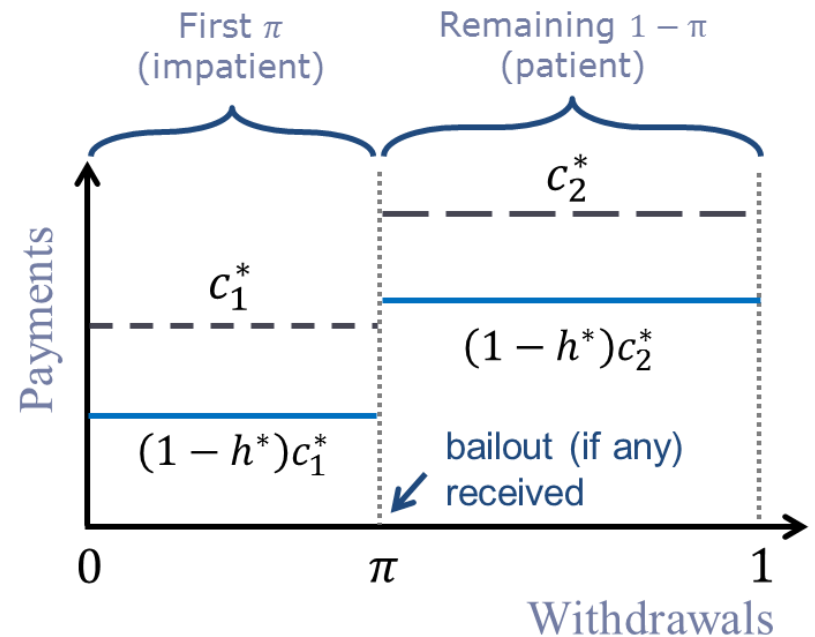
- ▶ Banks play a "bail-in game"



Bail-in incentives

Q: Is the planner's $h^*(\phi)$ an equilibrium of the bail-in game?

- ▶ Suppose all other banks follow this plan
 - ▶ if an individual bank chooses $h^*(\phi)$...
 - ▶ ... its investors will receive the planner's allocation for them



Q: What happens if it deviates?

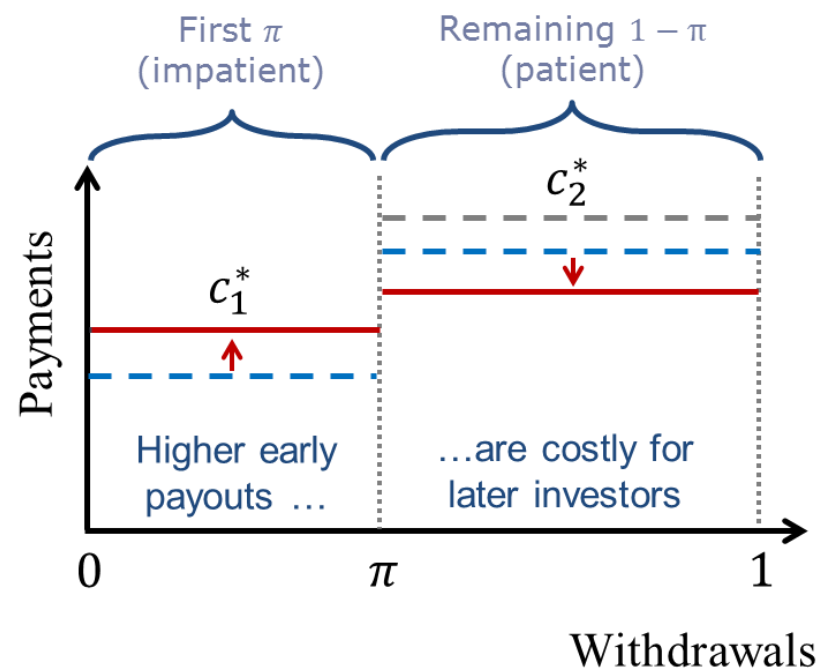
▶ Suppose the bank does not receive a bailout

▶ If it sets $h(\phi) = 0$...

▶ ... its patient investors will consume less

▶ Deviation makes bank's investors worse off

▶ otherwise planner would have chosen it



⇒ Banks not receiving a bailout will follow the planner's bail-in

▶ in line with the older literature on Diamond-Dybvig models

▶ Suppose the bank **does** receive a bailout

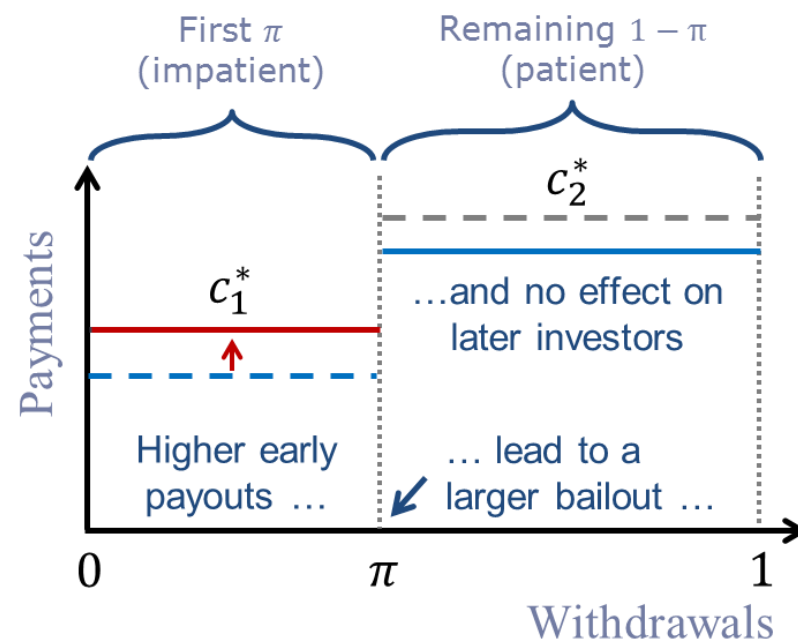
▶ If it sets $h(\phi) = 0$...

▶ remaining investors will be in worse shape

▶ which leads to a larger bailout (!)

▶ Deviation is clearly desirable

▶ shifts some losses to the public sector

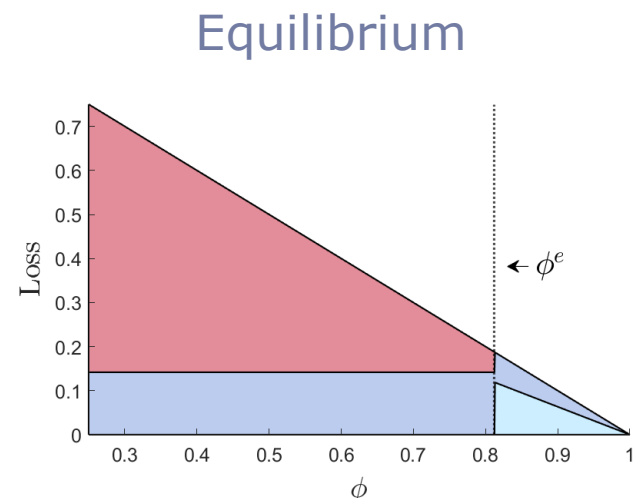
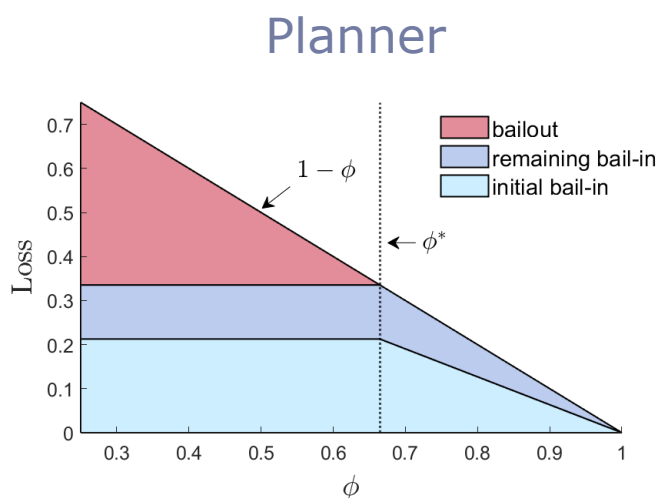


⇒ Banks receiving a bailout will **not** follow the planner's bail-in

▶ **bailouts undermine bail-ins**

What does an equilibrium look like?

- ▶ If all banks that are bailed out set $h(\phi) = 0$



- ▶ Bail-ins are too small overall
 - ▶ especially: no bail-in of first π withdrawals
- ▶ Bailouts are too large
 - ▶ intensive margin: banks bail-in less → are bailed out more always
 - ▶ extensive margin: more banks are bailed out sometimes

Bank runs

- ▶ If the planner's bail-in is very large and bank sets $h(\phi) = 0$...
- ▶ ... withdrawing early may become a dominant strategy

- ▶ bank will suffer a run

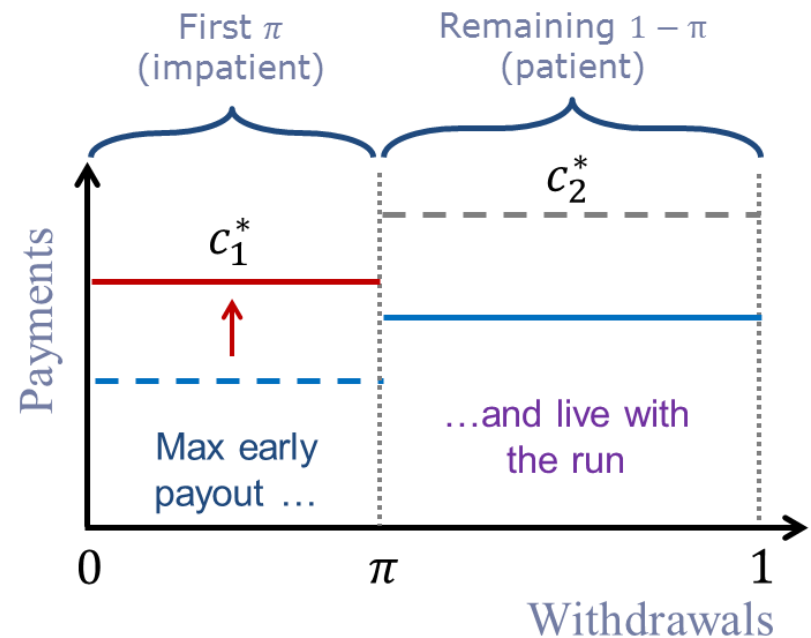
- ▶ What will a bank in this situation do?

- ▶ Could bail-in just enough to remove incentive to run

- ▶ Or could allow the run to happen

- ▶ recall: this is a fundamentals-driven run by *insiders* ("looting")

⇒ Incentive distortion here is a *source* of financial fragility



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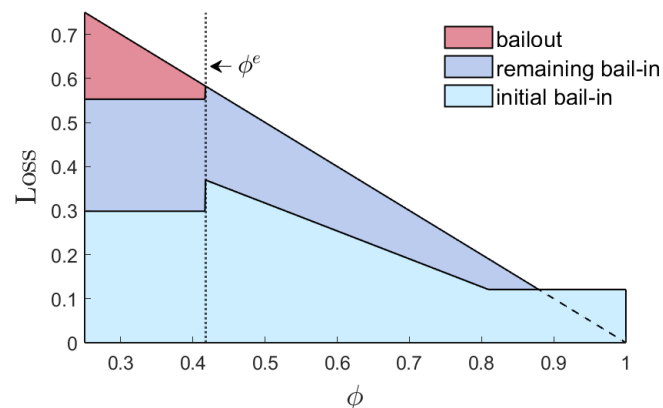
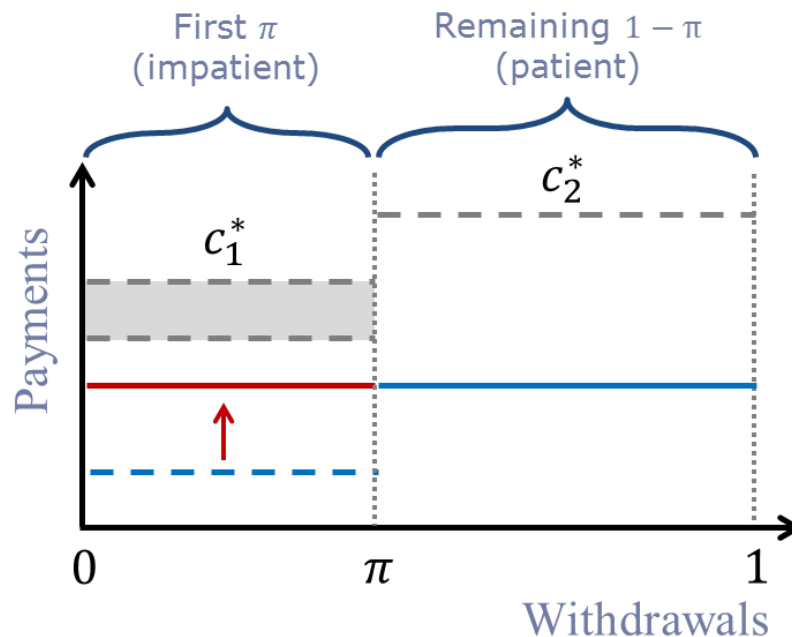
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What can a regulator do?

- ▶ Suppose we impose a *system-wide bail-in*
 - ▶ require all banks to set $h(\phi) \geq \eta$ (notice the weak inequality)
- ▶ Interpretations:
 - ▶ writing down debt (including short-term)
 - ▶ imposing withdrawal fees ▶ restricting dividend payments
⇒ anything that prevents resources from flowing out of the bank
- ▶ Easy to see how this can help
 - ▶ gain from bail-in at banks with large losses is first-order
 - ▶ distortion in banks with zero or small losses is second order
- ▶ Less obvious: the policy also *improves incentives*

Incentive effects

- ▶ We saw: a bank may be willing to live with a run
 - ▶ if there is a large benefit for the early withdrawers
- ▶ Required bail-in limits the benefit of “cheating”
- ▶ If chosen appropriately ...
 - ▶ ... bailed-out banks will set bail-in **greater** than the minimum
 - ▶ result: no runs occur
 - ▶ regulator uses the *threat* of a run to discipline banks



Optional bail-ins

- ▶ A mandatory minimum bail-in is costly for sound banks
 - ▶ In some cases, the following policy is better:
 - ▶ banks can either set $h(\phi) = 0$ or set $h(\phi) \geq \eta$
 - ▶ call this an *optional minimum bail-in*
 - ▶ Idea:
 - ▶ effective if bailed-out banks would experience a run at $h(\phi) = 0$
 - ▶ but not at $h(\phi) = \eta$
- another way the threat of a run can discipline bank behavior
- ▶ in the spirit of Calomiris and Kahn (1991), Diamond and Rajan (2001)
 - ▶ but applied to regulatory policy

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Conclusion

- ▶ Our model captures situations where:
 - ▶ regulators know there is a problem, but not *where* the losses are
 - ▶ some bank investors/creditors have private information
 - ▶ some banks anticipate being bailed out

Q: In such a situation:

- ▶ should regulators wait for observable information to arrive?
- ▶ or should they act sooner? If so, how?
- ▶ We provide conditions under which they should be *proactive*
 - ▶ that is, impose a system-wide bail-in at the onset of a crisis
 - ▶ adjust policy once bank-specific information becomes available

Key results:

- ▶ Systemwide bail-ins can improve the allocation of resources
 - ▶ the benefit of improving the actions of weak banks ...
 - ▶ ... outweighs the cost of distorting the actions at sound banks
 - ▶ And also improve financial stability
 - ▶ by limiting the incentive to “loot” a weak bank
 - ▶ A one-size-fits-all bail-in may create substantial distortions
 - ▶ But these distortions can be mitigated by:
 - ▶ setting a minimum, rather than fixed, bail-in
 - ▶ in some cases, making the bail-in optional
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